

# Mathematics

**Year 5**  
Above satisfactory

## WORK SAMPLE PORTFOLIO

Annotated work sample portfolios are provided to support implementation of the Foundation – Year 10 Australian Curriculum.

Each portfolio is an example of evidence of student learning in relation to the achievement standard. Three portfolios are available for each achievement standard, illustrating satisfactory, above satisfactory and below satisfactory student achievement. The set of portfolios assists teachers to make on-balance judgements about the quality of their students' achievement.

Each portfolio comprises a collection of students' work drawn from a range of assessment tasks. There is no pre-determined number of student work samples in a portfolio, nor are they sequenced in any particular order. Each work sample in the portfolio may vary in terms of how much student time was involved in undertaking the task or the degree of support provided by the teacher. The portfolios comprise authentic samples of student work and may contain errors such as spelling mistakes and other inaccuracies. Opinions expressed in student work are those of the student.

The portfolios have been selected, annotated and reviewed by classroom teachers and other curriculum experts. The portfolios will be reviewed over time.

*ACARA acknowledges the contribution of Australian teachers in the development of these work sample portfolios.*

## THIS PORTFOLIO: YEAR 5 MATHEMATICS

This portfolio provides the following student work samples:

Sample 1	Geometry: My angle
Sample 2	Measurement: Garden bed
Sample 3	Number: Treasure hunt
Sample 4	Measurement: How many can you make?
Sample 5	Number: Who are the fastest swimmers?
Sample 6	Measurement: Using time
Sample 7	Measurement: Using perimeter and area
Sample 8	Geometry: Location and transformation
Sample 9	Number: Number sentences
Sample 10	Geometry: Mapping
Sample 11	Statistics and Probability: Come in spinner
Sample 12	Number: How do I check my work?
Sample 13	Number: Spring fair

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# Mathematics

## Year 5

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This portfolio of student work shows the measurement and construction of different angles (WS1), comparison of the sizes of fractions by diagrams and calculations and their representation on a number line (WS2, WS5). The student solves problems using the four operations (WS3, WS9) and explains how they know their answers to calculations are reasonable (WS12). The student makes spinners to assist in carrying out simple probability experiments before evaluating the results (WS11) and creates a simple budget (WS13). The student investigates the areas and perimeters of different rectangles (WS7). The student explains the effect of transformations (WS8), locates axes of symmetry of shapes and describes the features of three-dimensional objects using two-dimensional representations (WS4). The student creates maps, locates landmarks and describes directions to locations (WS10). The student converts between 12 and 24 hour time (WS6).

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# Mathematics

# Year 5

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## Geometry: My angle

### Year 5 Mathematics achievement standard

The parts of the achievement standard targeted in the assessment task are highlighted.

*By the end of Year 5, students solve simple problems involving the four operations using a range of strategies. They check the reasonableness of answers using estimation and rounding. Students identify and describe factors and multiples. They explain plans for simple budgets. Students connect three-dimensional objects with their two-dimensional representations. They describe transformations of two-dimensional shapes and identify line and rotational symmetry. Students compare and interpret different data sets.*

*Students order decimals and unit fractions and locate them on number lines. They add and subtract fractions with the same denominator. Students continue patterns by adding and subtracting fractions and decimals. They find unknown quantities in number sentences. They use appropriate units of measurement for length, area, volume, capacity and mass, and calculate perimeter and area of rectangles. They convert between 12 and 24 hour time. Students use a grid reference system to locate landmarks. They measure and construct different angles. Students list outcomes of chance experiments with equally likely outcomes and assign probabilities between 0 and 1. Students pose questions to gather data, and construct data displays appropriate for the data.*

### Summary of task

Students had completed a unit of work on angles and their properties. They were given the following problems to solve:

- Can you estimate and draw an angle of approximately  $135^\circ$  without using a protractor?
- I looked at the clock before school and noticed that the hands made an acute angle. What time could it be?
- I looked at the clock before school and noticed that the hands made a right angle. What time could it be? How do you know that you are right?
- I looked at the clock before school and noticed that the hands made a reflex angle. What time could it be? How do you know that you are right?

## Geometry: My angle

Task 1. draw an angle of approximately  $135^\circ$



obtuse angle

What strategies did you use to draw your angle?  
 I made an angle of  $180^\circ$ , then subtracted  $45^\circ$ .  
 How do you know what angle this is?  
 I know an obtuse angle is between  $91^\circ$  and  $179^\circ$ .  
 Can you use a protractor to check if you are right?  
 Yes I can, and I did, and it was  $135^\circ$ .  
 Can you use similar strategies to try and draw a  
 angle of  $30^\circ$ ?  
 Yes I can, and I did, and it was  $34^\circ$ .

Task 2. What time could it be before school so that the hands create an acute angle? 8:30

What other possible answers are there? 6:25, 7:40, 6:40.  
 How will you record your answers by writing it down  
 How do you know you are right? because I know an acute angle is less than  $90^\circ$   
 Are there some clock times before school that would not make an acute angle?  
 yes. 7:10, 12:00, 9:30  
 I looked at the clock before school and noticed the hands made a right angle.  
 What time could it be? 6:45.  
 how do you know you are right? because I know that a right angle is  $90^\circ$   
 I looked at the clock before school and noticed that the hands made a reflex angle. What time could it be? 12:05, 1:10, 4:20

### Annotations

Identifies types of angles.

Explains strategies in estimating angles using mathematical language.

Identifies characteristics of angles.

Makes accurate estimations to construct angles.

Uses a protractor to accurately measure angles.

Uses characteristics of angles to support explanations.

## Measurement: Garden bed

### Year 5 Mathematics achievement standard

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### Summary of task

Students had completed a unit of work on fractions and decimals. They were asked to complete two tasks:

- Divide a large rectangular garden bed into a number of equal plots. What addition and subtraction sentences can you create with fractions by looking at your garden?
- Tom created a number pattern which included the decimal 1.25. What could the pattern be?

Measurement: Garden bed

Task 1: Fractions

$\frac{5}{15} + \frac{10}{15} = 1$

$\frac{3}{8} + \frac{2}{8} - \frac{4}{8} + \frac{2}{8} = \frac{3}{8}$

$\frac{4}{15} + \frac{6}{15} = \frac{7}{15}$

$\frac{5}{15} + \frac{7}{15} - \frac{2}{15} + \frac{5}{15} = 1$

$\frac{3}{8} + \frac{1}{8} = \frac{1}{2}$

$\frac{2}{3} + \frac{1}{3} = \frac{2}{3} + \frac{1}{3} - \frac{1}{3} - \frac{1}{3} = 0$

Annotations

Calculates addition and subtraction of fractions with a variety of denominators.

Divides a shape into a number of different equal parts.

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Mathematics

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Measurement: Garden bed

Task 2

1)  $1.25 \xrightarrow{0.05} 1.30 \xrightarrow{0.10} 1.4 \xrightarrow{0.15} 1.55 \xrightarrow{0.2} 1.75 \dots \text{etc}$

2)  $1.25 \xrightarrow{0.2} 1.45 \xrightarrow{0.2} 1.65 \xrightarrow{0.2} 1.85 \dots \text{etc}$

3)  $1.25 \xrightarrow{0.1} 1.35 \xrightarrow{0.2} 1.55 \xrightarrow{0.3} 1.85 \dots \text{etc}$

4)  $1.1 \xrightarrow{0.05} 1.15 \xrightarrow{0.05} 1.2 \xrightarrow{0.05} 1.25 \xrightarrow{0.05} 1.3$

5)  $1.25 \xrightarrow{0.25} 1.50 \xrightarrow{0.25} 1.75 \xrightarrow{0.25} 2$

$1\frac{1}{4} \xrightarrow{\quad} 1\frac{1}{2} \xrightarrow{\quad} 1\frac{3}{4} \xrightarrow{\quad} 2$

Annotations

Creates and continues more complex decimal number patterns using hundredths, tenths and wholes.

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## Mathematics

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## Number: Treasure hunt

## Year 5 Mathematics achievement standard

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## Summary of task

Students were given the following problem to solve after completing a unit of work on multiplication, division, factors and multiples:

- A teacher is planning a treasure hunt for teams of students in Year 5 and Year 6. There are 48 Year 5 students and 60 Year 6 students. Each team has to have equal numbers and team members are from the same year level.
- What are all the possible team sizes that can participate in the treasure hunt?
- What are the largest possible group sizes that our teacher can have?

Number: Treasure hunt

Y5-88  
Y6-60

Key | = 12    = 4  
 = 2    = 6

Treasure hunt

30 groups of 2 in Y6  
 15 groups of 4 in Y6  
 10 groups of 6 in Y6  
 5 groups of 12 in Y6

24 groups of 2 in Y5  
 12 groups of 4 in Y5  
 8 groups of 6 in Y5  
 4 groups of 12 in Y5

The largest group size is 4  
 groups of 12 for Y5 and 5  
 groups of 12 for Y6.

There are four different combinations

Annotations

Uses diagrams as a strategy to identify factors of a number.

Lists the factors of a given number.

Demonstrates understanding of multiplication as being groups of the same size.

Recognises there are different factor combinations in multiplication.

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## Measurement: How many can you make?

### Year 5 Mathematics achievement standard

The parts of the achievement standard targeted in the assessment task are highlighted.

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### Summary of task

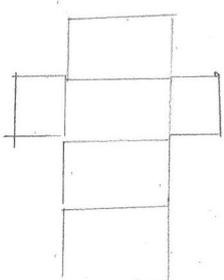
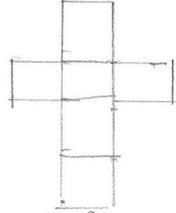
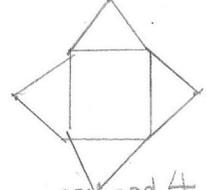
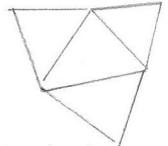
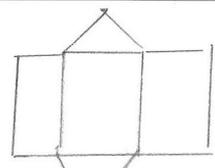
Students had studied three-dimensional objects and their two-dimensional relationships, including nets and features.

Students were given a bag with two-dimensional shapes and asked to make as many three-dimensional objects as they could. They completed the table recording as much information as they could about the three-dimensional objects. Students were encouraged to use mathematical terms to describe the objects.

## Measurement: How many can you make?

### HOW MANY CAN YOU MAKE?

Using the **2D shapes** in the bag, make as many **3D objects** as you can. Once you have constructed your 3D object, using the table below record as much information as you can about the 3D object. Remember to name your objects and to use the correct language. You must work independently to complete this task.

<p>rectangular prism net</p>	<p>cube net.</p>	<p>square pyramid net</p>
 <p>4 equal size rectangles 2 others not same size as the other 4. right angles at each corner</p>	 <p>Each faces is the same size square Right angles at every corner</p>	 <p>1 square and 4 triangles All triangles are same size 5 faces and 5 vertices, 8 edges.</p>
<p>cylinder net.</p>	<p>triangular pyramid net.</p>	<p>triangular prism net</p>
 <p>2 circles are equal size. Edge of rectangle is same size as circumference of circle</p>	 <p>4 triangles 4 faces, 6 edges 1 vertex</p>	 <p>3 rectangles 2 triangles 5 faces 9 edges</p>

### Annotations

Identifies and draws nets of 3D objects and lists the attributes.

## Mathematics

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**Number: Who are the fastest swimmers?****Year 5 Mathematics achievement standard**

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**Summary of task**

Students had been studying a unit of work based on data from the Olympic Games. They had become familiar with ordering decimals on a number line, time in seconds, tenths of seconds and hundredths of seconds.

Students were given tables with information about the results of the Men's 100m Freestyle Semi-Finals from the London Olympic Games. They were asked to order the results from fastest to slowest, complete some further ordering of decimals and locate them on a number line. Students were also asked to think about what could be done in one hundredth of a second.

## Number: Who are the fastest swimmers?

### Who Were the Fastest 100m Swimmers of 2012?

The tables below contain information from the Men's 100m Freestyle Semi-Finals from the 2012 London Olympic Games.

#### Task 1

Order the results from fastest to slowest performance, 1<sup>st</sup>-16<sup>th</sup> place.

#### Semi-Final 1

Lane	Athlete	Country	Time in Seconds	Placing
01	GILOT Fabien	France	48.49	10 <sup>th</sup>
02	CIELO Cesar	Brazil	48.17	5 <sup>th</sup>
03	FRASER Brett	Cayman islands	48.92	15 <sup>th</sup>
04	LOUW Gideon	South Africa	48.44	9 <sup>th</sup>
05	MAGNUSSEN James	Australia	47.63	1 <sup>st</sup>
06	LOBINTSEV Nikita	Russia	48.38	8 <sup>th</sup>
07	ROBERTS James	Australia	48.57	12 <sup>th</sup>
08	FRASER Shaune	Cayman Islands	49.07	16 <sup>th</sup>

#### Semi-Final 2

Lane	Athlete	Country	Time in seconds	Placing
01	AGNEL Yannick	France	48.23	7 <sup>th</sup>
02	JONES Cullen	USA	48.60	14 <sup>th</sup>
03	HAYDEN Brent	Canada	48.21	6 <sup>th</sup>
04	ADRIAN Nathan	USA	47.97	2 <sup>nd</sup>
05	VERSCHUREN Sebastiaan	Netherlands	48.13	4 <sup>th</sup>
06	TIMMERS Pieter	Belgium	48.57	12 <sup>th</sup>
07	CZERNIAK Konrad	Poland	48.44	9 <sup>th</sup>
08	GARCIA Hanser	Cuba	48.04	3 <sup>rd</sup>

### Annotations

Orders decimals from lowest to highest.

# Number: Who are the fastest swimmers?

**Who Were the Fastest 100m Swimmers of 2012?**

**Task 2**

- i) Calculate the athletes with the 8 fastest times and record them in the final, in the correct lanes.

The current world record for the 100m men's freestyle is 46.91 seconds set by Cesar Cielo in Rome on 30/07/09.

- ii) Calculate the difference between each athlete's semi-final at the London Olympics and compare it to the current world record. Record the difference in the table.

**Final**

Lane		Athlete	Difference World Record Time
Lane 1	7 <sup>th</sup> fastest	Agnel Yannick	+1.32 + 1.30 secs
Lane 2	5 <sup>th</sup> fastest	Cesar Cielo	+1.26
Lane 3	3 <sup>rd</sup> fastest	Hanser Garcia	+1.13
Lane 4	1 <sup>st</sup> fastest	James Magnussen	+0.72
Lane 5	2 <sup>nd</sup> fastest	Nathan Adrian	+1.06
Lane 6	4 <sup>th</sup> fastest	Sebastian Verschuren	+1.22
Lane 7	6 <sup>th</sup> fastest	Brent Haden	+1.30
Lane 8	8 <sup>th</sup> fastest	Nikita Lobentsev	+1.47



## Annotations

*Compares two decimals to calculate the difference.*

*Constructs and orders decimals on a number line to the hundredth place.*

*Locates decimals accurately on a number line.*

## Number: Who are the fastest swimmers?

### Who Were the Fastest 100m Swimmers of 2012?

#### Mens

- G - 1<sup>st</sup> - Nathan Adrian - 47.52
- S - 2<sup>nd</sup> - James Magnussen - 47.53
- B - 3<sup>rd</sup> - Brent Hayden - 47.80

#### Women

- G - 1<sup>st</sup> - Ranomi Kramowidjojo - 53.00
- S - 2<sup>nd</sup> - Alia Herasimenia - 53.38
- B - 3<sup>rd</sup> - Yi Tang - 53.44

#### W+M

#### Gold Difference

$$\begin{array}{r} 48.10 \\ - 47.52 \\ \hline 5.48 \end{array}$$

#### Silver Difference

$$\begin{array}{r} 48.38 \\ - 47.53 \\ \hline 5.85 \end{array}$$

#### Bronze Difference

$$\begin{array}{r} 53.44 \\ - 47.80 \\ \hline 5.64 \end{array}$$

#### Task 4

1. In the final Nathan Adrian from the USA beat James Magnussen of Australia by 0.01 seconds. List what you do in 0.01 seconds.

- Snap your fingers
- Blink
- Breathe
- Press a button

You could do these in  $\frac{1}{10}$  of a second but it would be hard to imagine what you could do in  $\frac{1}{100}$  of a second

### Annotations

Gathers secondary data and constructs a list to represent data.

Compares data to calculate the difference in data records.

Records calculations.

Makes connections between fractions and decimal numbers.

Lists activities that can be performed in a given time.

## Mathematics

## Year 5

Above satisfactory

## Measurement: Using time

### Year 5 Mathematics achievement standard

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### Summary of task

Students had spent a week focusing on comparing and representing 12 and 24 hour time.

They were asked to create a timeline of a typical day in their lives in 12 and 24 hour time and record their day using both digital and analog time. They completed this task in a half an hour time slot.

# Mathematics

Year 5  
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## Measurement: Using time

Year 5 Time

Use the boxes below to show a typical day in your life. Underneath each box record the time that each event happened in 12hr time, 24 hr time and in analogue time

12hr	6:15am	<del>7:15am</del> 8am	$\frac{1}{4}$ to 9 8:45am	$\frac{1}{2}$ past 3 3:15pm	4:00pm	6:33pm	8:30pm	
24hr	6:15	7:15	8:00	8:45	15:15	16:00	18:33	20:30

If you use 12 hour time without am or pm you could get confused about morning or night. You could miss your train or your flight if you get the morning and night mixed up. 24 hour time is good so that everyone knows what the real time is. The army use 24 hour time so the troops knew when to attack.

### Annotations

Records and converts 12 hour to 24 hour time.

Explains the reason for the use of 24 hour time.

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## Measurement: Using perimeter and area

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### Summary of task

Students had completed a unit of work on perimeter and area. They had been given opportunities to practise measuring objects using millimetres, centimetres, metres and calculate area using  $\text{cm}^2$  and  $\text{m}^2$ .

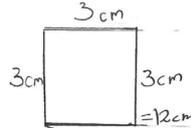
Students were asked to define area and perimeter and explain how each is calculated. They were then asked to choose shapes to measure and to calculate the perimeter and area of each. They were also asked to identify what units should be used to measure the length of items.

Measurement: Using perimeter and area

Using Perimeter and Area

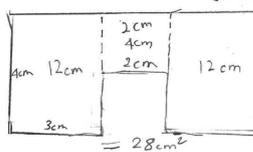
What is perimeter? How can you work it out?

A perimeter is how far the outside of something like a shape.  
To work out the perimeter you have to add.



What is area? How can you work it out?

An area is the inside of something.  
To work out the area you have to times the outside, you can make the shape two shapes and then add it.



What unit should you use to measure the perimeter of these items?



What unit should you use to measure the area of these items?



Choose an object whose perimeter you can measure using CENTIMETERS. Measure it and record how you did it. Use a diagram to help you. Then calculate the area of the object. Explain how you worked it out.

I used a ruler to work out the perimeter, and then timesed the perimeter to get the area.

Perimeter = 98 cm  
Area = 588 cm<sup>2</sup>

$$\begin{array}{r} 28 \\ \times 21 \\ \hline 28 \\ 588 \\ \hline 588 \end{array}$$

Choose an object whose perimeter you can measure using METRES. Measure it and record how you did it. Use a diagram to help you. Then calculate the area of the object. Explain how you worked it out.

Basketball court = 158 m

I walked around the whole basketball court with a trunk wheel. Every time it clicked that means it has been 1 meter.

Perimeter = 158 m  
Area = 1548 m<sup>2</sup>

$$\begin{array}{r} 158 \\ \times 59 \\ \hline 1422 \\ 1580 \\ \hline 1548 \end{array}$$

Annotations

Explains how to calculate area and perimeter.

Calculates area and perimeter of more complex shapes.

Chooses appropriate units to measure items.

Calculates area and perimeter of four-sided figures.

## Geometry: Location and transformation

### Year 5 Mathematics achievement standard

The parts of the achievement standard targeted in the assessment task are highlighted.

*By the end of Year 5, students solve simple problems involving the four operations using a range of strategies. They check the reasonableness of answers using estimation and rounding. Students identify and describe factors and multiples. They explain plans for simple budgets. Students connect three-dimensional objects with their two-dimensional representations. They describe transformations of two-dimensional shapes and identify line and rotational symmetry. Students compare and interpret different data sets.*

*Students order decimals and unit fractions and locate them on number lines. They add and subtract fractions with the same denominator. Students continue patterns by adding and subtracting fractions and decimals. They find unknown quantities in number sentences. They use appropriate units of measurement for length, area, volume, capacity and mass, and calculate perimeter and area of rectangles. They convert between 12 and 24 hour time. Students use a grid reference system to locate landmarks. They measure and construct different angles. Students list outcomes of chance experiments with equally likely outcomes and assign probabilities between 0 and 1. Students pose questions to gather data, and construct data displays appropriate for the data.*

### Summary of task

Students had completed a unit of work about line and rotational symmetry, translation, rotation, reflection and the enlargement transformation of two-dimensional shapes.

Students were asked to draw two-dimensional shapes and follow the language of position to transform, enlarge and record the lines of symmetry in the shapes. They were then asked to enlarge a two-dimensional shape using grid paper.

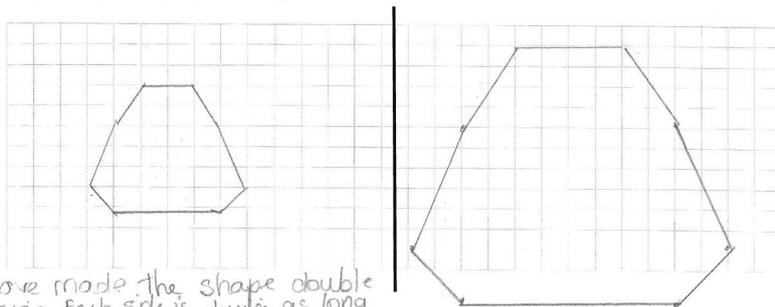
# Geometry: Location and transformation

## Location & Transformation – Year 5

- Draw three different 2 dimensional shapes in the first column.
- In the first row, show how the shape can be translated in different ways. Describe what you did.
- In the second row, show how the shape can be rotated in different ways. Describe what you did.
- In the third row, show how the shape can be reflected. Describe what you did.
- Show how many lines of symmetry each shape has.

Shape 1 (Translate)		moved to right 	moved to right and then up 	moved down 
Shape 2 (Rotate)		rotated 20° in clockwise direction 	rotated 180° 	rotated 225° 
Shape 3 (Reflect)		reflected 	flipped 	reflected 

On the left side of the grid draw a simple picture. Enlarge the same picture on the right side of the grid. By how much have you enlarged it? Explain your thinking.



I have made the shape double its size. Each side is twice as long but the area is 4 times as much → could be 2 squared.

## Annotations

*Demonstrates various ways to translate. Recognises that the shape remains constant.*

*Demonstrates rotation around a point and nominates the angle through which the rotation has occurred.*

*Displays various ways that a reflection can be done.*

*Demonstrates an insightful approach into what happens to area when a shape is enlarged.*

# Mathematics

Year 5

Above satisfactory

## Number: Number sentences

### Year 5 Mathematics achievement standard

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### Summary of task

Students had completed class tasks involving number sentences and unknown quantities.

Students were asked to complete a task to describe numbers in a number sentence in a variety of ways. This task was completed under timed conditions.

## Number: Number sentences

### Number Sentences

Instructions!

- Choose 15 different numbers between 0 and 100
- Express each number in two different ways using mixed operations

	Number	First way	Second way
	Eg. 3	$3 = 6 \times 4 - 3 \times 7$	$3 = 56 \div 7 \div 2 - 1$
1.	11	$= 9 \times 9 - 10 \times 7$	$= 15 + 29 \div 4$
2	22	$= 9 \times 8 - 5 \times 10$	$= 11 \times 4 - 11 \times 2$
3	33	$= 28 + 53 - 8 \times 6$	$= 121 \div 11 \times 3$
4	44	$= 2 \times 2 \times 11$	$= 136 \div 17 \div 2 \times 11$
5	55	$= 7 + 4 \times 3 + 2$	$= 222 - 123 - 44$
6	66	$= 9 \times 9 - 15$	$= 90 \div 3 \times 2 + 6$
7	77	$= 7 \times 3 + 7 \times 8$	$= 21 \div 3 \times 15 - 4$
8	88	$= 14 + 8 \times 4$	$= 360 \div 2 \div 6 + 58$
9	99	$= 228 \div 2 - 15$	$= 3 \times 11 \times 3$
10	80	$= 12 \times 10 - 40$	$= 100 + 100 - 30 \times 4$
11	70	$= 7 \times 7 + 21$	$= 10 \times 10 - 30$
12	60	$= 99 \div 3 \div 11 \times 20$	$= 5 \times 6 \times 2$
13	50	$= 120 \div 12 \times 5$	$= 10 - 5 \times 13 - 3$
14	40	$= 88 \div 4 + 8 + 10$	$= 2 \times 2 \times 10$
15	30	$= 2 \times 6 + 3 \times 6$	$= 60 \div 10 \times 5$

### Annotations

Chooses varied ways to describe a number.

Adheres to order of operations conventions.

# Mathematics

Year 5

Above satisfactory

## Geometry: Mapping

### Year 5 Mathematics achievement standard

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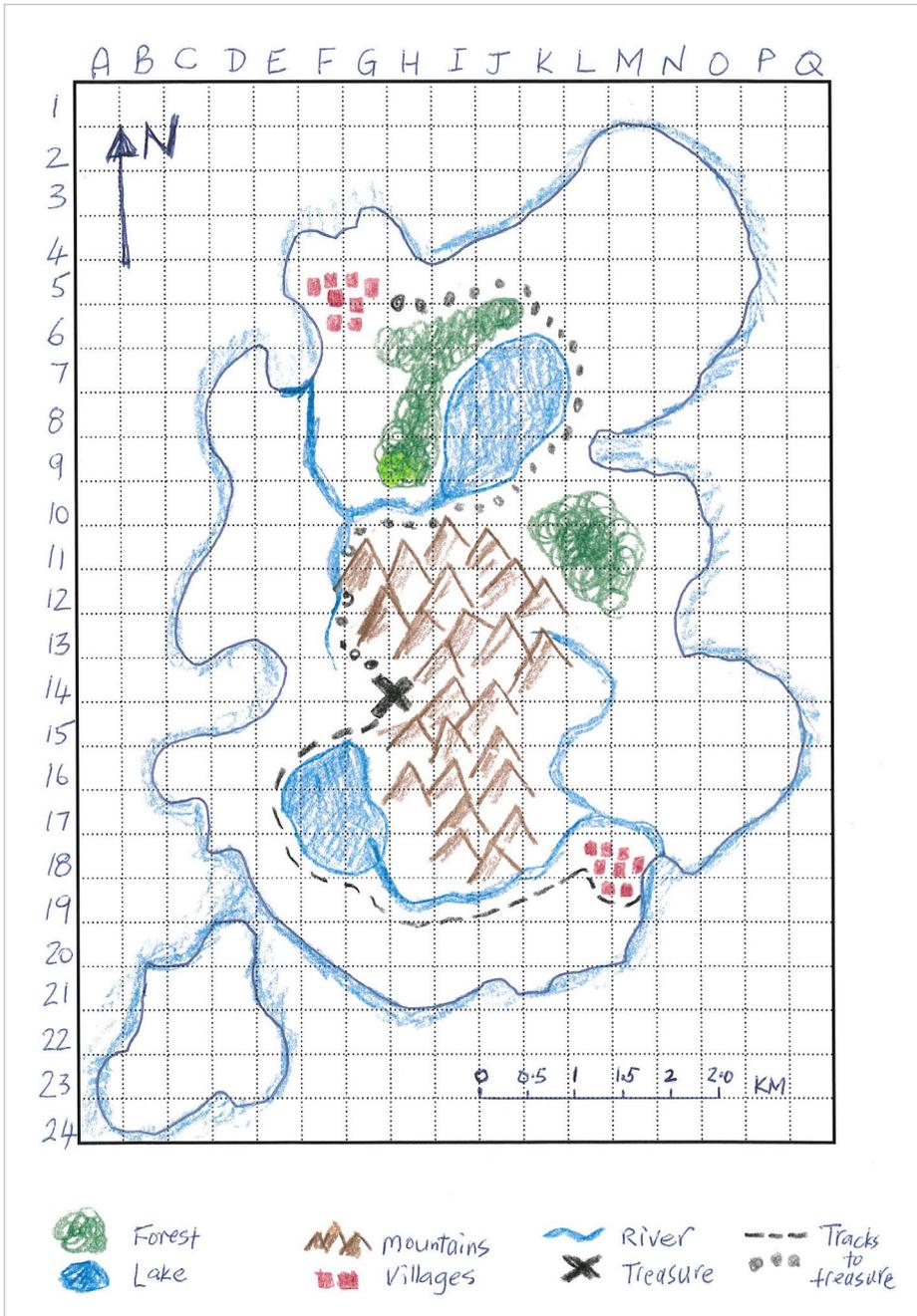
*Students order decimals and unit fractions and locate them on number lines. They add and subtract fractions with the same denominator. Students continue patterns by adding and subtracting fractions and decimals. They find unknown quantities in number sentences. They use appropriate units of measurement for length, area, volume, capacity and mass, and calculate perimeter and area of rectangles. They convert between 12 and 24 hour time. Students use a grid reference system to locate landmarks. They measure and construct different angles. Students list outcomes of chance experiments with equally likely outcomes and assign probabilities between 0 and 1. Students pose questions to gather data, and construct data displays appropriate for the data.*

### Summary of task

Students had studied maps and used a compass.

Students were asked to draw a treasure island map, to create a scale and compass rose, and to impose a grid and coordinates. They were required to write a set of directions, using compass points or grid coordinates, to the location of a hidden treasure on their map. Students exchanged maps and followed the directions to find the treasure. They were encouraged to comment on the scale used.

Geometry: Mapping



Annotations

Indicates different features of the map.

Uses a scale to describe the map.

Uses a legend to describe landmarks.

## Statistics and Probability: Come in spinner

### Year 5 Mathematics achievement standard

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### Summary of task

This task was the culmination of a series of activities dealing initially with the language of chance and then conducting simple chance experiments. The students had discussed fair and unfair spinners and the numerical chance of a particular result happening.

Students were required to make three spinners. One of the spinners had four colours but there was not an equal chance of spinning each colour. The second spinner had six numbers on it with an equal chance of spinning each number and the third spinner had six numbers on it with an unequal chance of spinning each of the numbers. Students were required to pose questions, predict the chance of the outcomes and then conduct the task. Students were asked to record all answers in tables and graphs. After completing the task students compared their results with other class members and interpreted the results.

## Statistics and Probability: Come in spinner

### Spinners Predictions

1. I think green will come up more than the other colours because there are 3 sections of green as opposed to only 1 blue, 1 purple and 1 orange. Green should be spun 3 times as much as the other colours.
2. All the colours will have an equal chance of being spun because there are 2 of each colour.
3. There are 2 sixes and only one of each of the other numbers. You would think that there was a better chance of getting a 6 than the other numbers.

### Annotations

Makes informed predictions about the possible results of the experiment for different specified spinners.

Statistics and Probability: Come in spinner

Annotations

Spinner 1.

Colour	Tally	Total
Green		11
Blue		4
Orange		2
Purple		3

There are more green as I predicted

Spinner 2

Colour	Tally	Total Number
Red		5
Yellow		8
Blue		7

The numbers are not quite the same. This is because things just don't turn out the way you think they will

Records the results of the experiment using tally marks and totals.

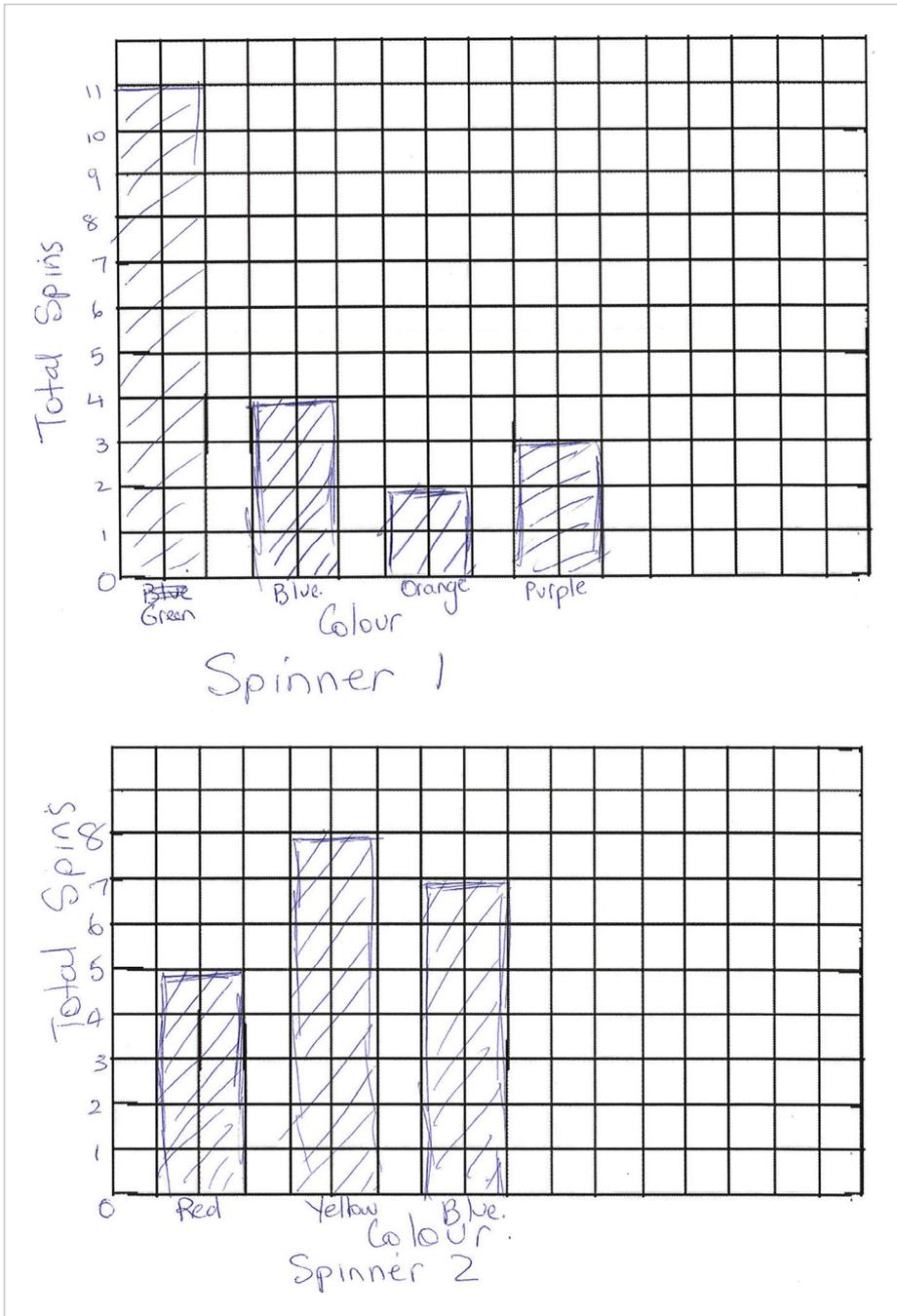
Spinner 3

Number	Tally	Total
1		3
2		4
3		3
5		3
6		7

There are more 6's as I thought 6 has a bigger chance because it happens 2 times on the spinner

Analyses results and relates them to the chance each had of occurring.

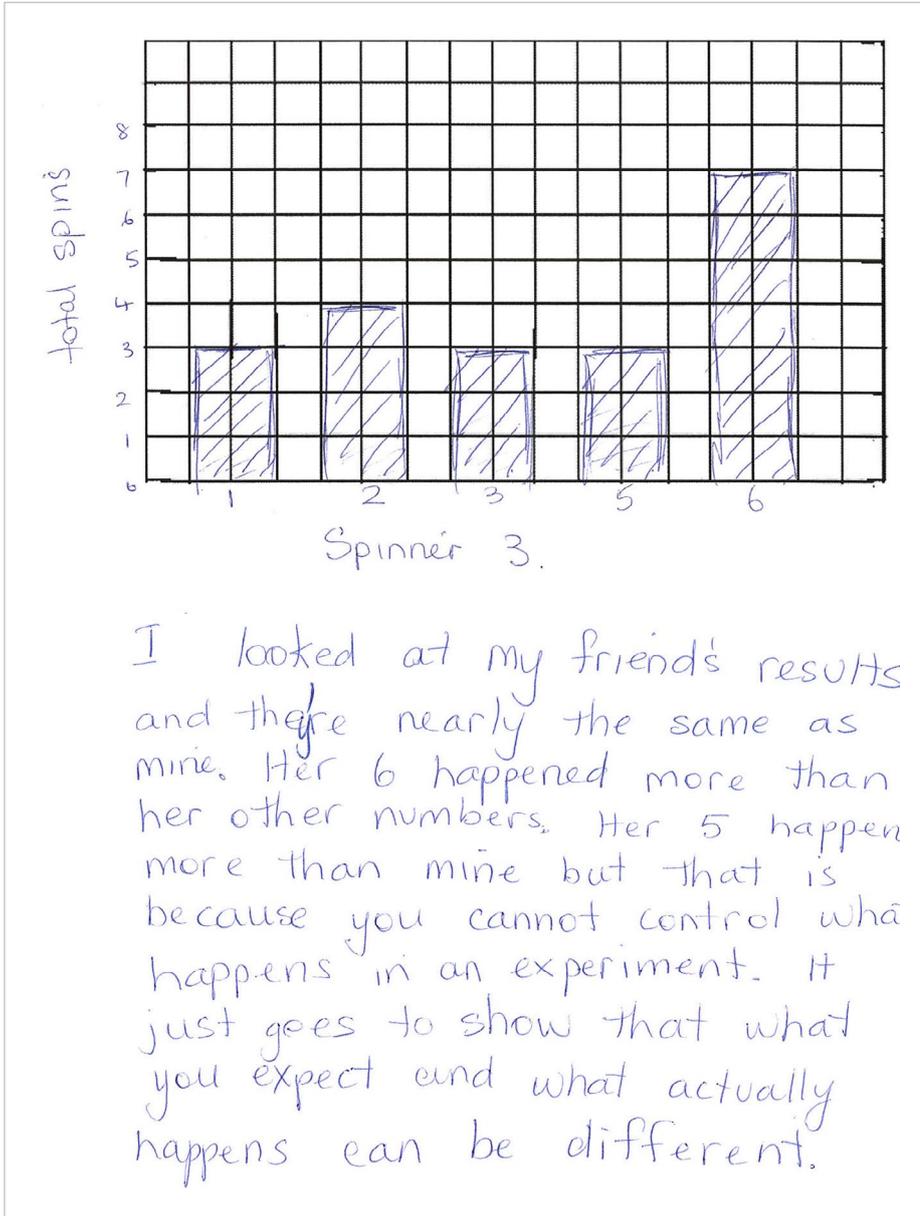
Statistics and Probability: Come in spinner



Annotations

Displays data correctly in a column graph.

Statistics and Probability: Come in spinner



Annotations

Compares and contrasts results of chance experiments.

## Mathematics

Year 5

Above satisfactory

## Number: How do I check my work?

### Year 5 Mathematics achievement standard

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### Summary of task

Throughout the year, students had completed many mental calculation sessions as an introduction to mathematics lessons. They had been explicitly taught a variety of strategies to check their answers to calculations and to explain how these worked.

Students were given three calculations to complete and were asked to explain the reasonableness of their answers, in a 20-minute timeframe.

## Number: How do I check my work?

Work out the following algorithms, and then explain how you checked the reasonableness of your answer.

$\begin{array}{r} 55 \\ 456 \\ \times 19 \\ \hline 4104 \\ 8664 \\ \hline 8664 \end{array}$	<p>I rounded the nineteen up to twenty. I multiplied the four hundred and fifty-six by ten (four thousand five hundred and sixty) then doubled it (nine thousand one hundred and twenty). From this I can deduce that my answer is in the right range.</p>
$\begin{array}{r} 1152 \\ 26847 \\ - 9828 \\ \hline 16519 \end{array}$	<p>I rounded the nine thousand eight hundred and twenty-eight up to ten thousand then added it to my original answer (sixteen thousand five hundred and nineteen). The answer was twenty six thousand five hundred and nineteen which is close to the larger number in the question meaning my answer is fair.</p>
$\begin{array}{r} 2514 + 357 + 5249 + 12345 \\ \begin{array}{r} 12 \\ 1357 \\ 2514 \\ 15249 \\ 12345 \\ \hline 20465 \end{array} \end{array}$	<p>I rounded everything turning three hundred and fifty-seven into four hundred, two thousand five hundred and fourteen into three thousand five hundred and fourteen, five thousand two hundred and forty-nine into five thousand and twelve thousand three hundred and forty-five into ten thousand. I then added them all together (mentally) to get eighteen thousand four hundred. This shows that my answer is reasonable.</p>

### Annotations

Calculates the answer to a multiplication algorithm involving a three-digit number and a two-digit number.

Explains the process of rounding and estimation that was used to check the reasonableness of an answer to a multiplication problem.

Calculates the answer to a subtraction algorithm involving trading.

Explains how rounding and working backwards from the answer using the opposite operation was used to check the reasonableness of the answer for the question posed.

Calculates the answer to an addition algorithm involving more than two addends with different numbers of digits.

Justifies the reasonableness of an answer to an addition problem by explaining how rounding was used to make the question easier to calculate mentally.

# Mathematics

# Year 5

Above satisfactory

## Number: Spring fair

### Year 5 Mathematics achievement standard

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### Summary of task

Students were preparing to run a stall selling 'spider drinks' at the school spring fair. They were asked to create a simple budget to run the stall and work out how much ice-cream, soft drink and cups they could buy within their budget. The cost of ingredients and cups were provided to the students as follows:

- Total funds: \$150.00
- Ice-cream: \$3.50 per 4-litre container
- Soft drink: \$2.00 per 1-litre or \$2.50 for 2 litres
- Plastic cups: \$1.99 for 25 cups.

Mathematics

Year 5

Above satisfactory

Number: Spring fair

Spiders for the Spring Fair				
Item	Individual cost	Size	Quantity	Total cost
Ice-cream	\$3.50	4L	15	\$52.50
Soft drink	\$2.50	2L	30	\$75.00
Cups (25)	\$1.99	25 cups	24	\$47.26
	In each cup is 100ml of ice-cream and 100ml of soft drink.	Budget: \$50	Total	\$174.76
			This answer is over the budget by \$24.76.	
How about trying something lower?				
Ice-cream	\$3.50	4L	10	\$35.00
Soft drink	\$2.50	2L	20	\$50.00
Cups	\$1.99	25 cups	16	\$31.84
			Total	116.84
			This is under the budget!	

Annotations

Creates a table to record information about a budget.

Lists the cost, size and quantity of each item to be purchased.

Selects the soft drink size that represents better value.

Calculates the cost of purchasing multiple quantities of items.

Calculates the total expenditure for the items listed.

Chooses appropriate amounts of liquid for each 'spider drink' and uses this to determine the required quantity of each item.

Demonstrates understanding of the limitations of a budget.

Adjusts the quantity of each item and recalculates the costs so as to stay within the budget.

Demonstrates understanding of the mathematical concept of keeping costs within a budget.